### **Vector Labs**

San Diego, Walt Disney World, and Wissahickon High School

# Scalars

- \* Numbers with magnitude and units only.
  - \* today's temperature is 84 °F
  - \* the car was driving for 4.3 s
  - \* the water has a mass of 1.25 kg

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- 1 the great size or extent of something: they may feel discouraged at the magnitude of the task before

  - great importance: events of tragic magnitude.
  - 2 size: electorates of less than average magnitude. • a numerical quantity or value: the magnitudes
    - call the economic variables could be determined.

## Vectors

- \* Numbers with magnitude and direction
- \* Scalar numbers have magnitude only
- \* Notation:  $\bar{A} = 25 \text{m}$ , at  $174^{\circ}$
- \* Don't use @ (this is NOT email)

## Vectors can cause strange results

take 10 steps East and 4 steps West



"What is the total distance that you have travelled?"

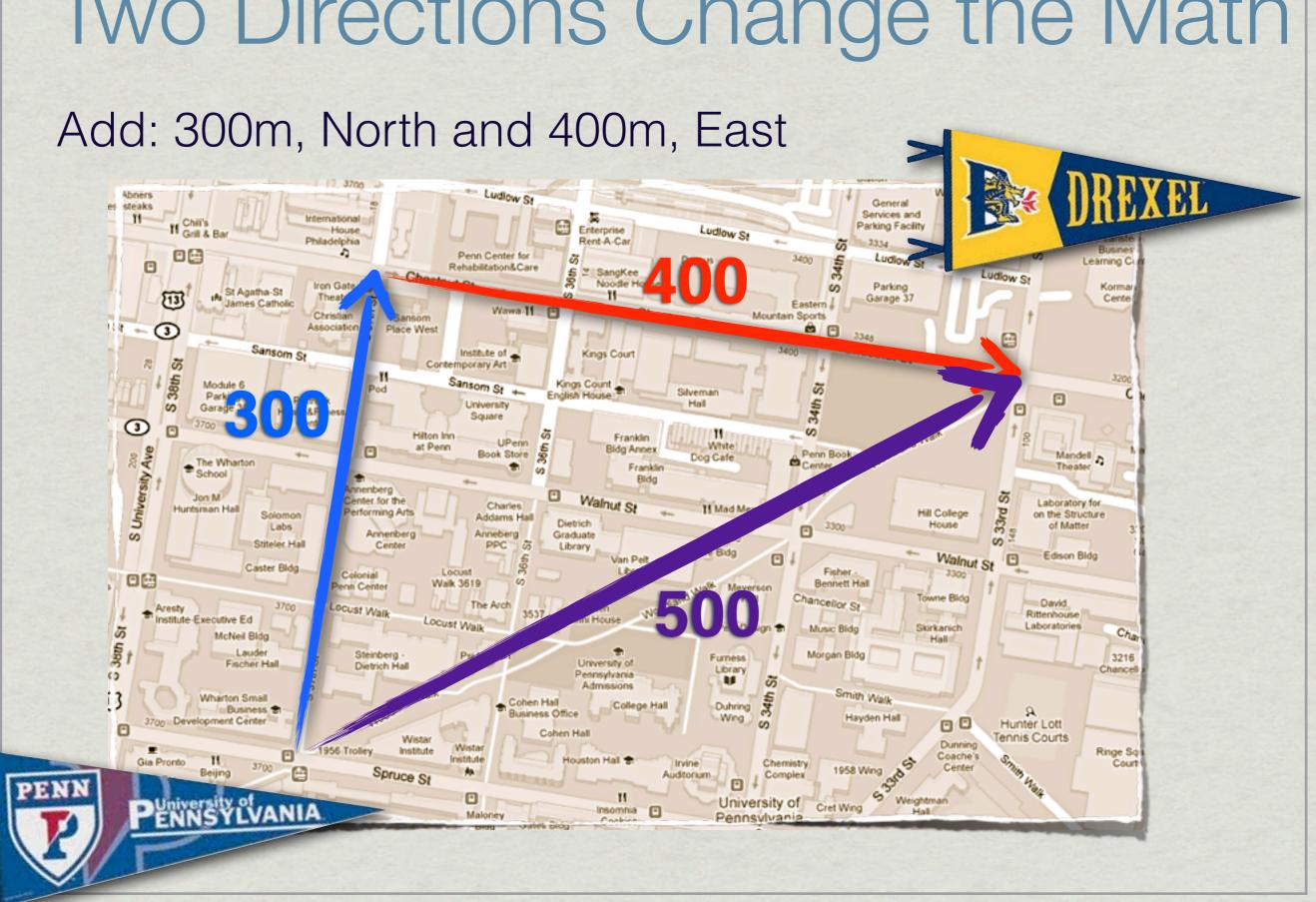
14 steps

"What is your *displacement* from where you started?"

6 steps East

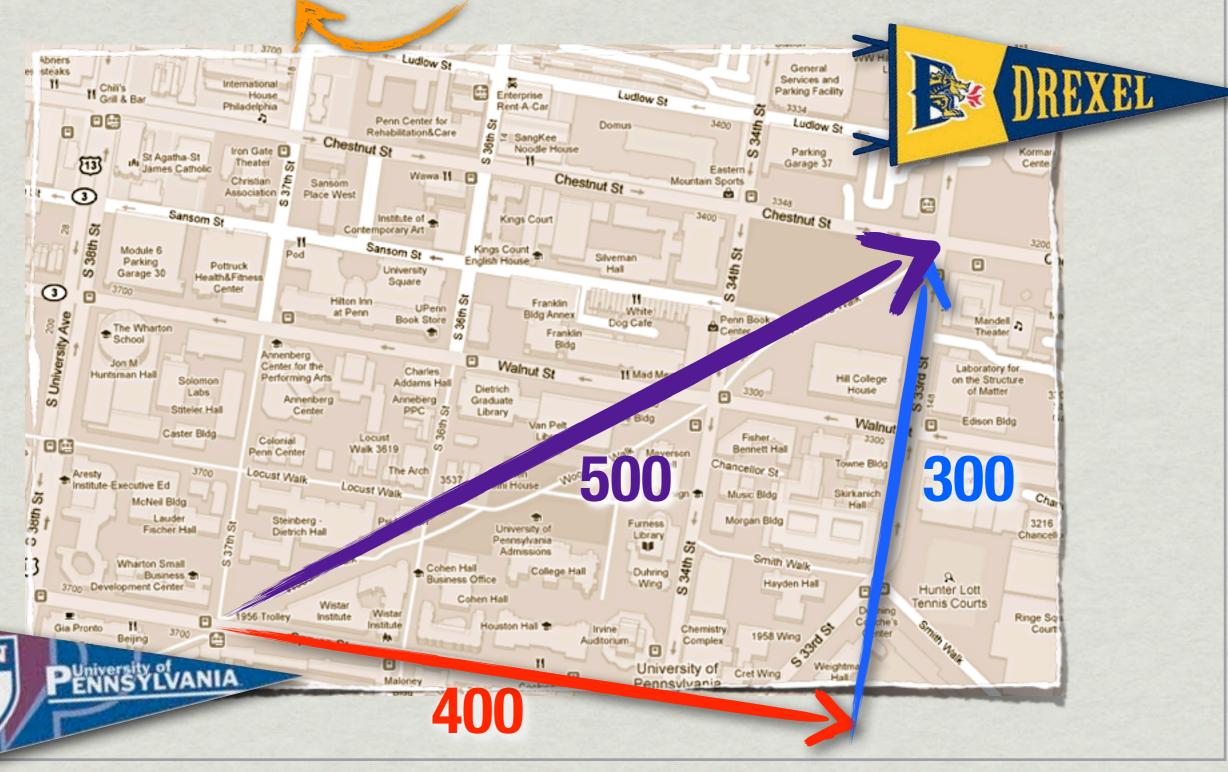


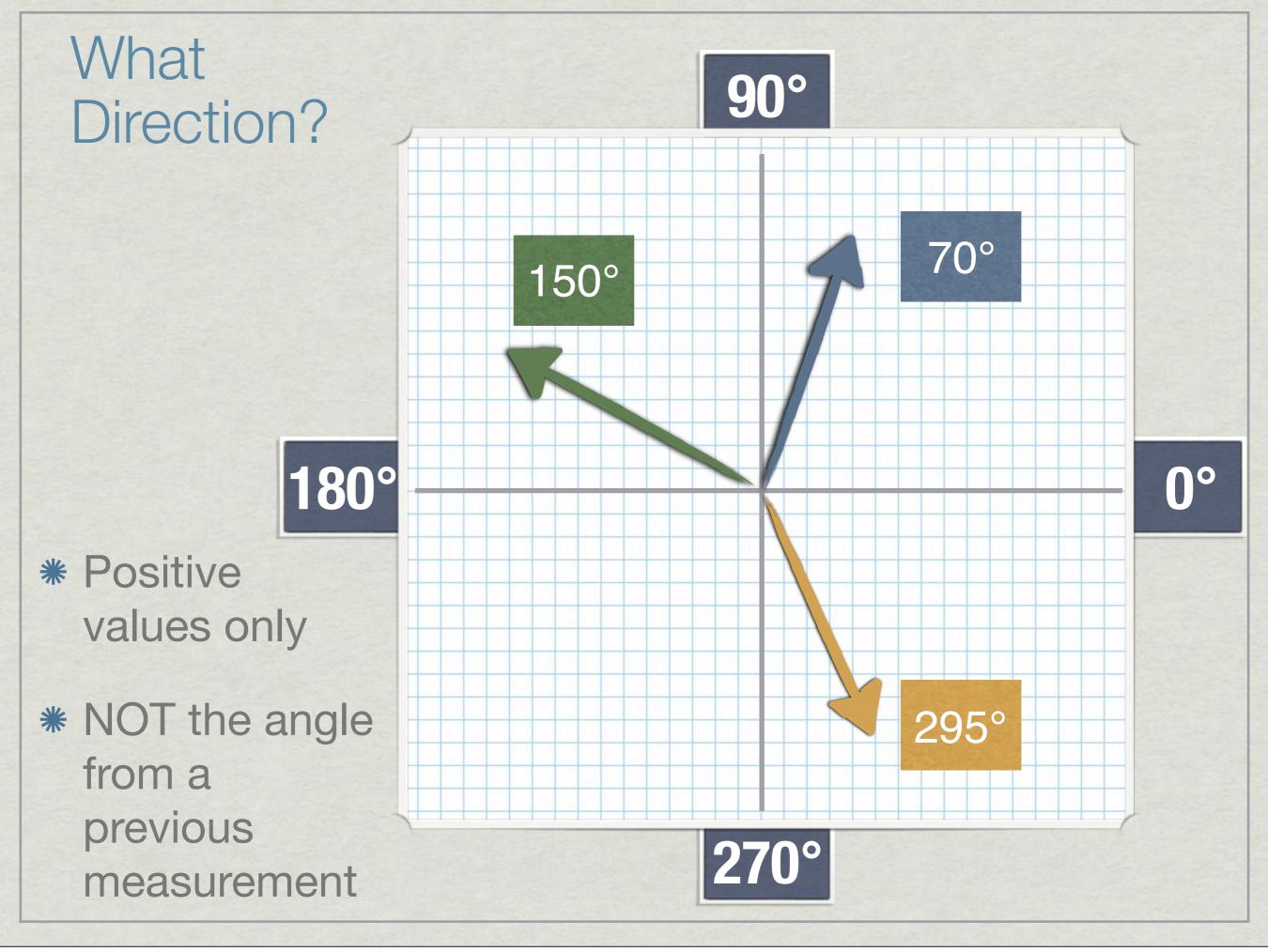
# Two Directions Change the Math

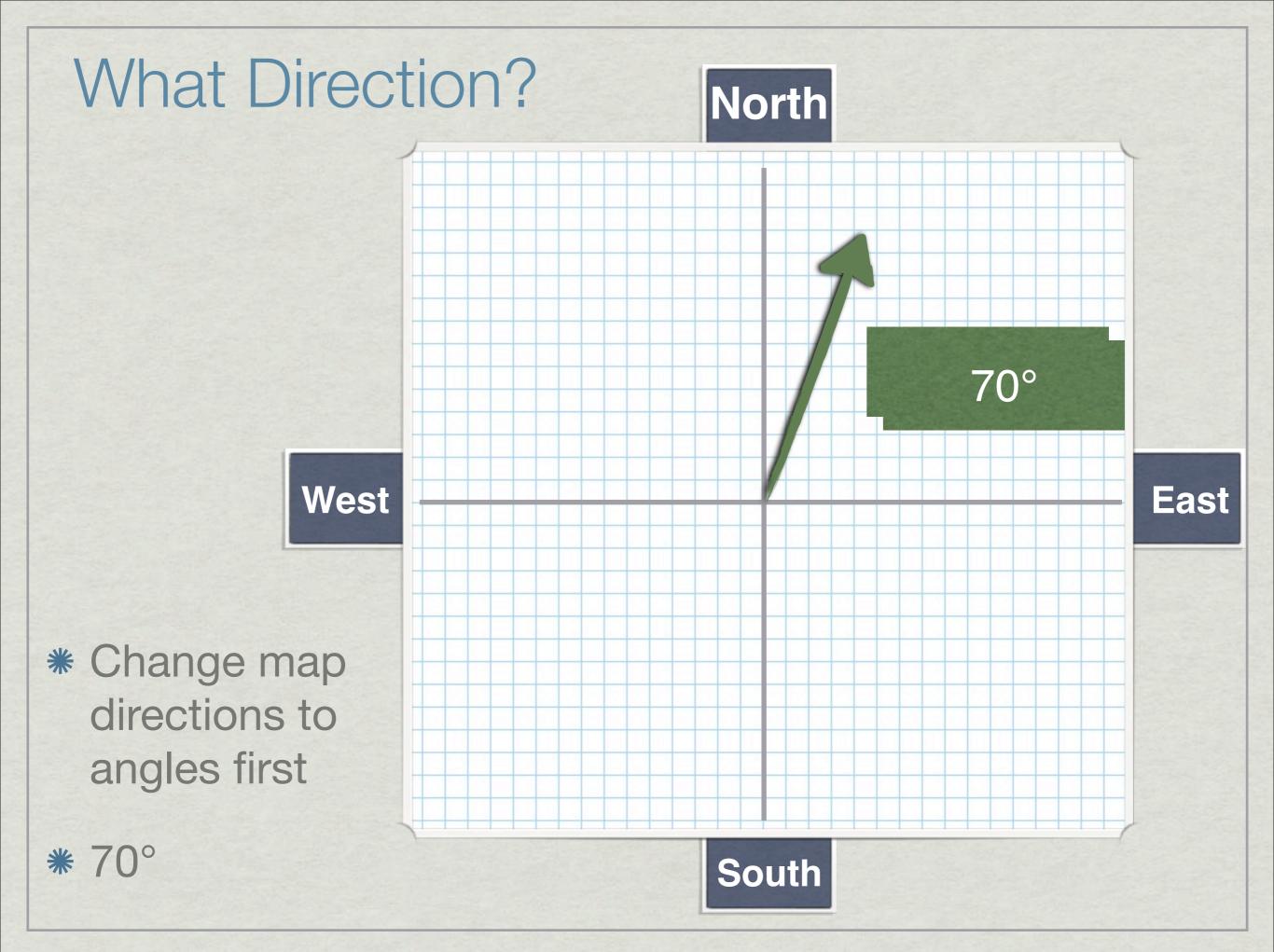


### It's the same thing...

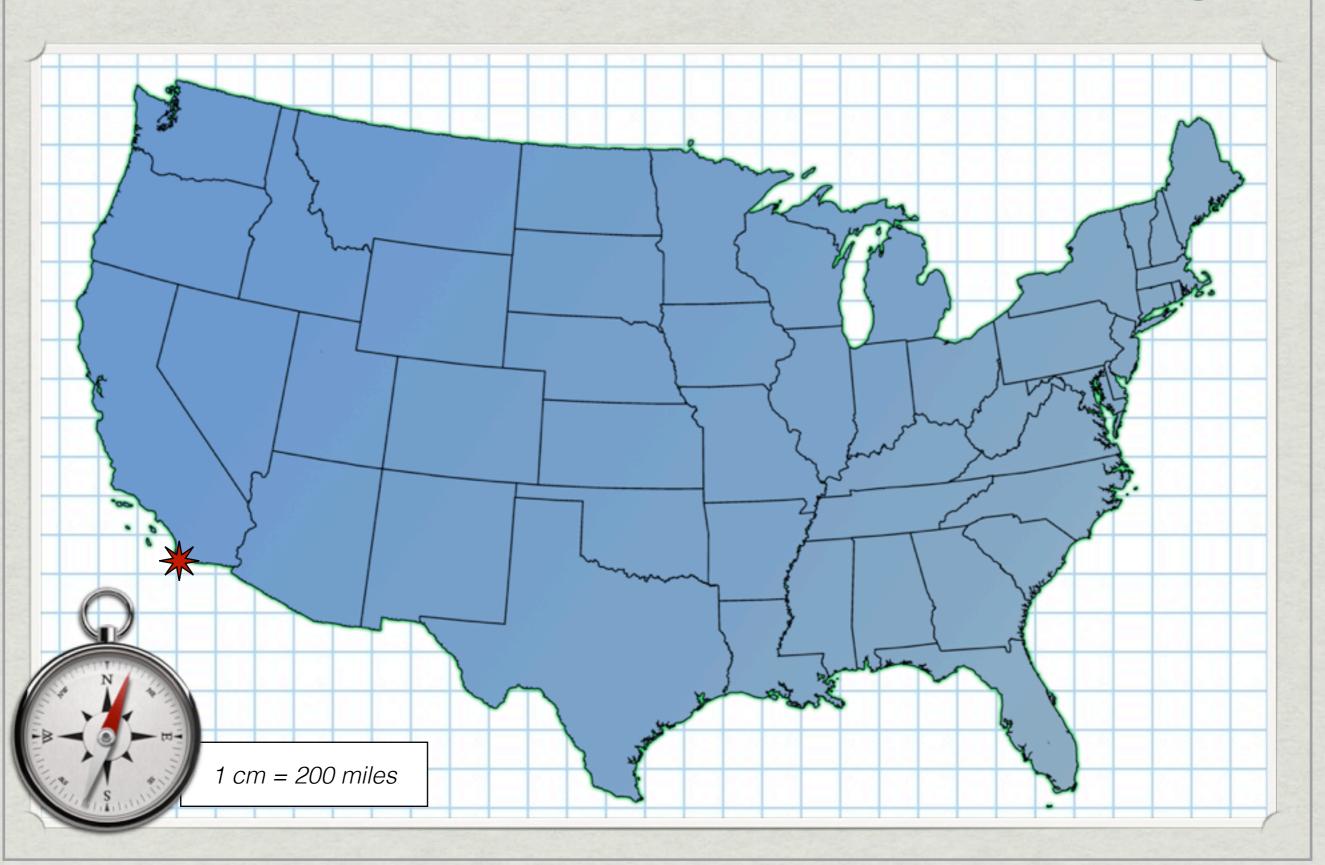
Add: 400m, East and 300m, North







### Why in the world, is my car in San Diego?



# Equilibrant and Resultant



The Equilibrant vector would balance the vectors in one step. An equilibrant vector goes from the finish to the start.

**E** = 360 miles, at 188°

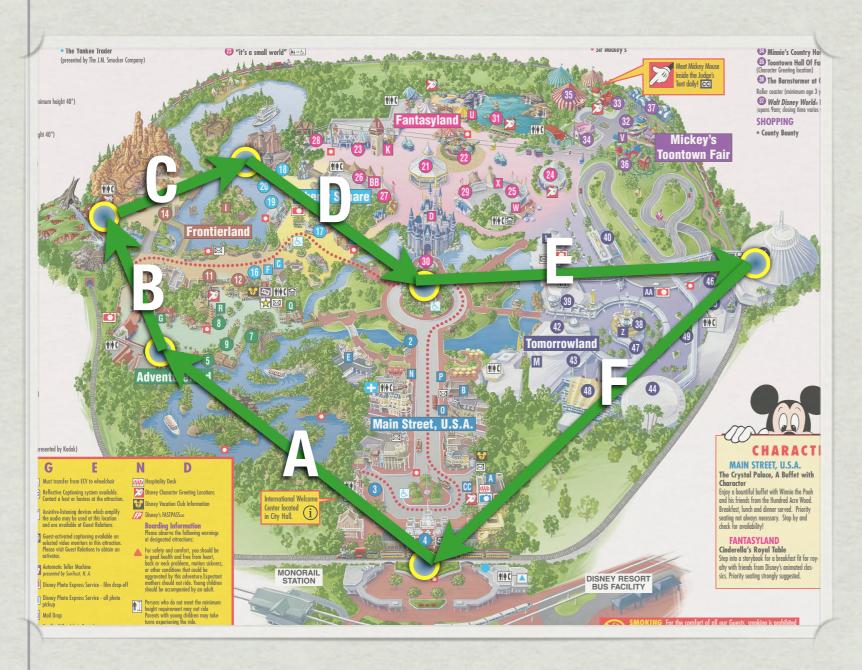
The Resultant vector is the total of all vectors in one step. A displacement vector goes from the start to the finish.

 $R = 360 \text{ miles, at } 8^{\circ}$ 

### Where in Disney World will you go?



#### Step 4: Measure, Name, and Label Each Vector



A = 26.0cm, at  $142^{\circ}$ 

B = 10.8cm, at  $113^{\circ}$ 

C = 10.5cm, at 23°

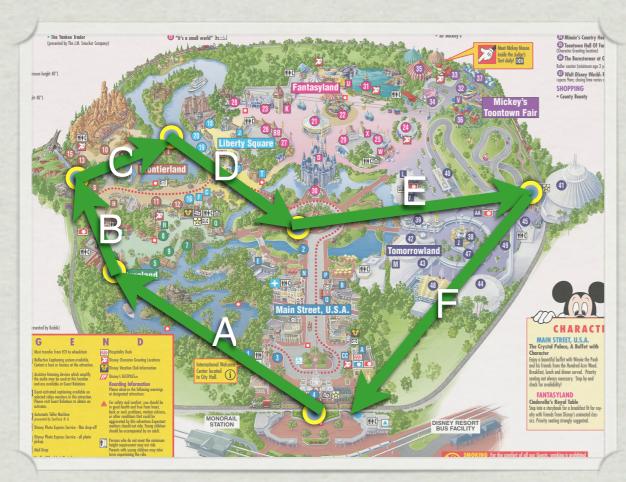
D = 16.1cm, at  $325^{\circ}$ 

E = 25.4cm, at 3°

 $F = 32.5 \text{cm}, \text{ at } 223^{\circ}$ 

# Step 5: Trace your steps by drawing the vectors to a ½ scale.

# Don't cheat on the last step!!!



A = 26.0 cm, at  $142^{\circ}$ 

B = 10.8cm, at  $113^{\circ}$ 

C = 10.5cm, at 23°

D = 16.1cm, at  $325^{\circ}$ 

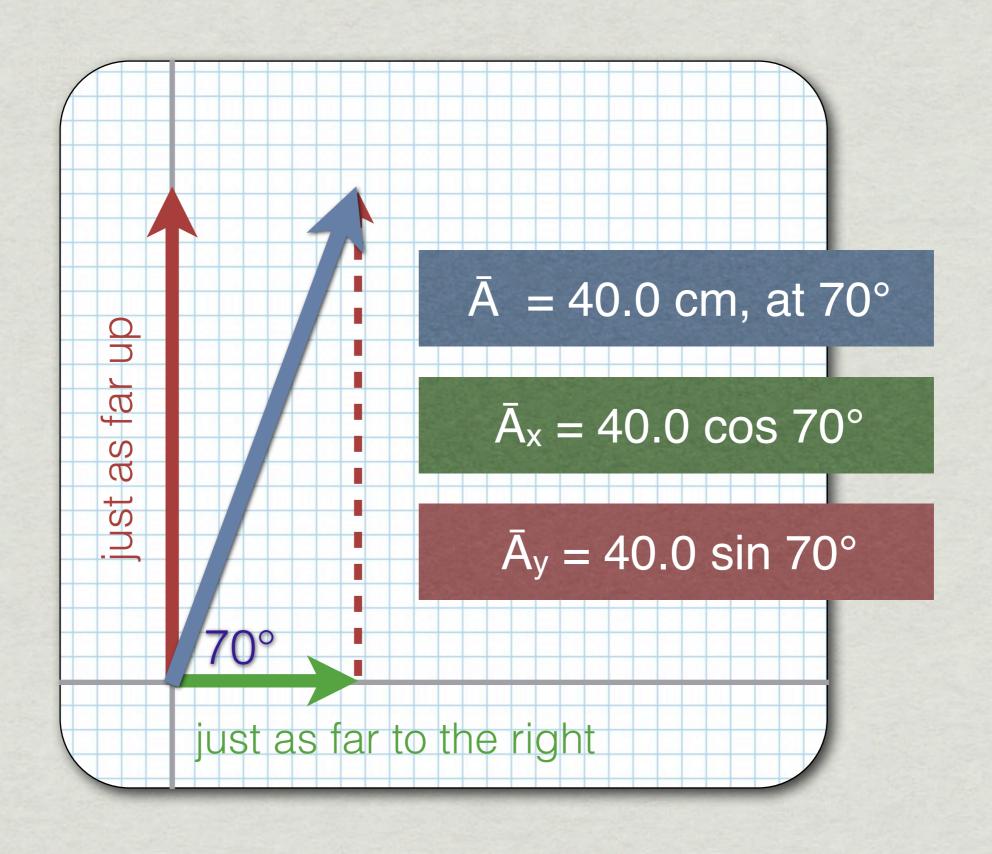
E = 25.4cm, at 3°

 $F = 32.5 \text{cm}, \text{ at } 223^{\circ}$ 

# Graphical Addition

- \* Called the "Head to Tail" method
- \* One Vector starts where the previous vector stops
- \* Vector Sum is from the tail of the first to the head of the last

#### Component Method: Find the X and Y components



# Break Down Your Vectors Into Components

**Step 6.** Find the horizontal and vertical components of each of the 6 vectors. Watch negatives!

X components	Y components

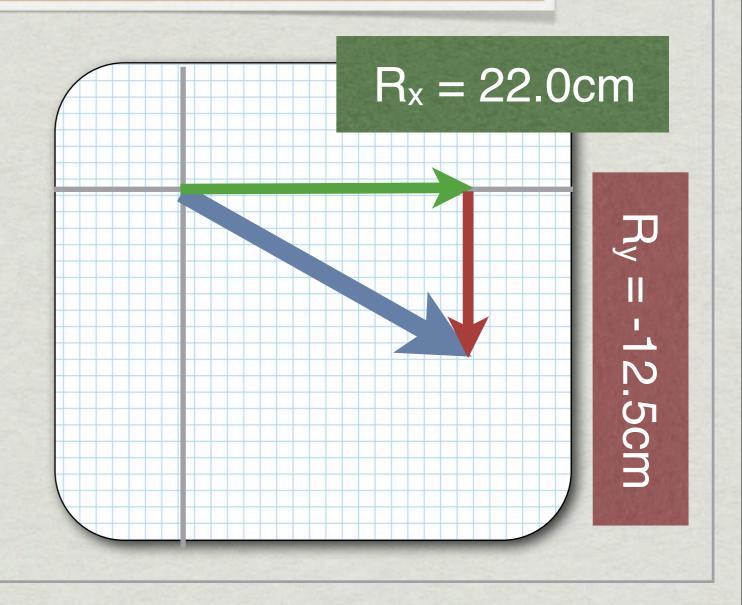
**Step 7.** Find the total x and total y of the resultant.

 $R_x$  \_\_\_\_\_  $R_y$  \_\_\_\_\_

### Component Method: Find the Resultant

$$R = \sqrt{R_X^2 + R_Y^2}, at(Tan^{-1}\frac{R_y}{R_x})$$

- \* Pythagorean to find Magnitude
- \* Trig to find Direction
- \* Careful with the angle



# Almost Done

**Step 8.** Calculate the resultant and the equilibrant vectors.

R=\_\_\_\_\_

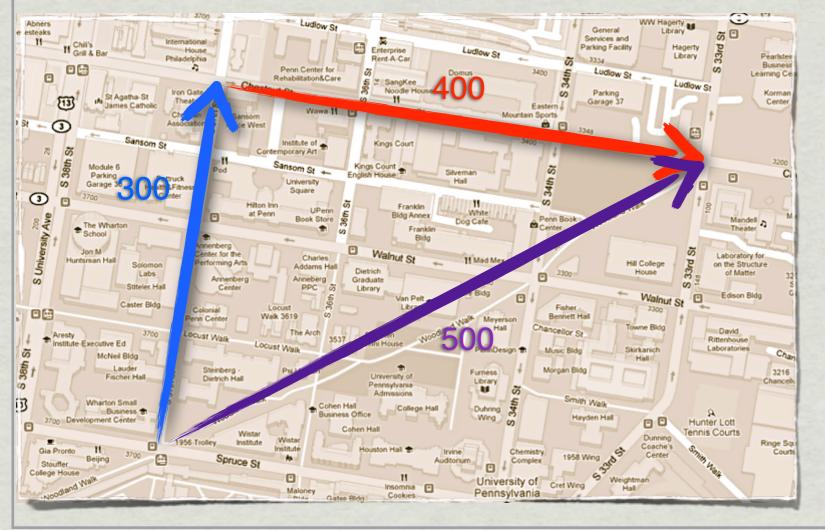
E= \_\_\_\_\_

Step 9. Conclusion

Compare and contrast the two methods of vector addition. Be sure to mention the simplicity and accuracy of each method.

## We did this one before..

$$R = \sqrt{R_X^2 + R_Y^2}, at(Tan^{-1}\frac{R_y}{R_x})$$



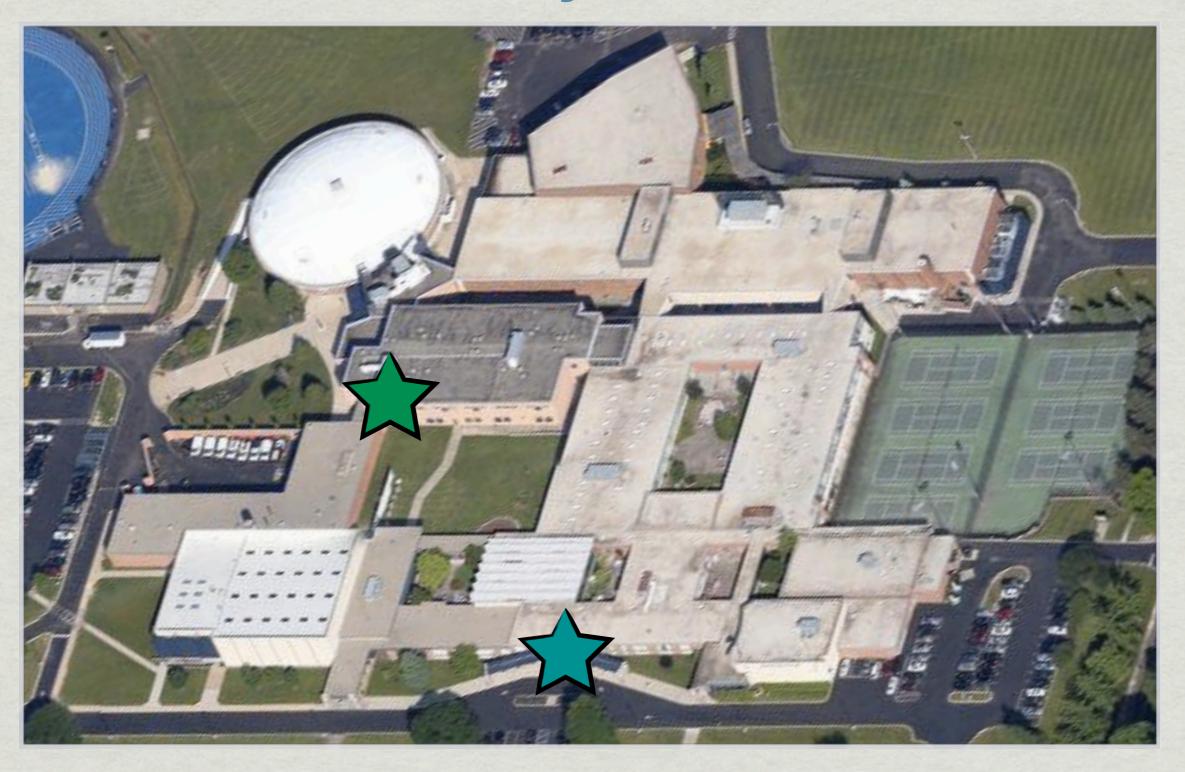
$$*R = \sqrt{(300^2 + 400^2)}$$

$$*R = 500 \text{ m}$$

$$* \theta = Tan^{-1} (300/400)7$$

$$*\theta = 37^{\circ}$$

# What about your school?



#### Put the measurements together. Find R<sub>x</sub> and R<sub>y</sub> and R (distance and direction).

